

Various regimes of instability and formation of coastal eddies along the shelf bathymetry

Laura Cimoli ^(1,3), Alexandre Stegner ⁽²⁾, Guillaume Roullet⁽³⁾

(1) University of Oxford, UK

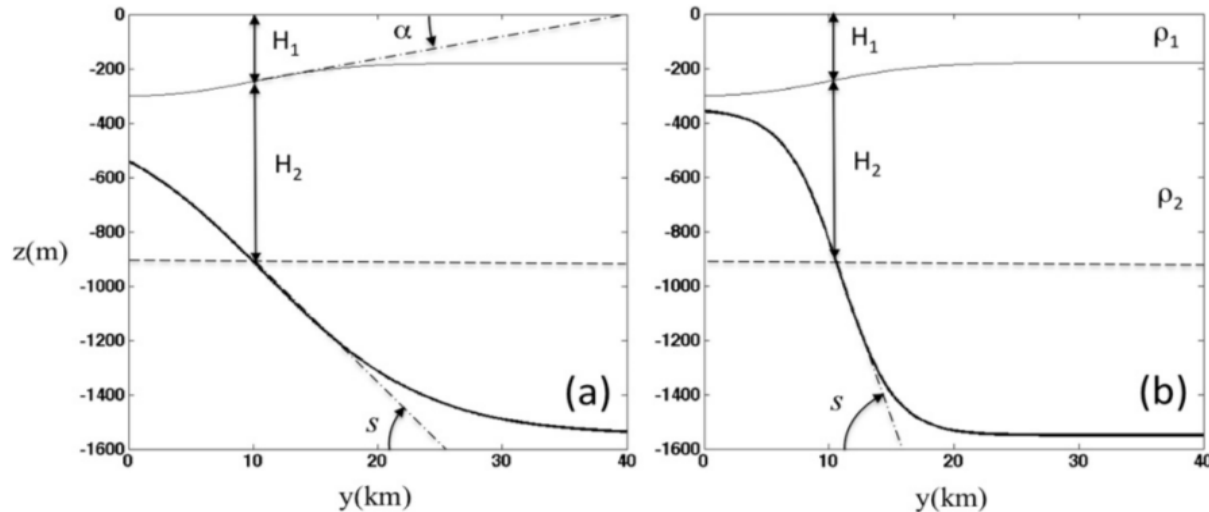
(2) LMD, CNRS-Ecole Polytechnique, Paris

(3) LPO, UBO, Brest

Synbios Workshop, 6-8 July 2015, Paris

Motivations

Extend the linear stability analysis of Poulin et al 2014



Two-layer SW model

Prograde jet over a slope

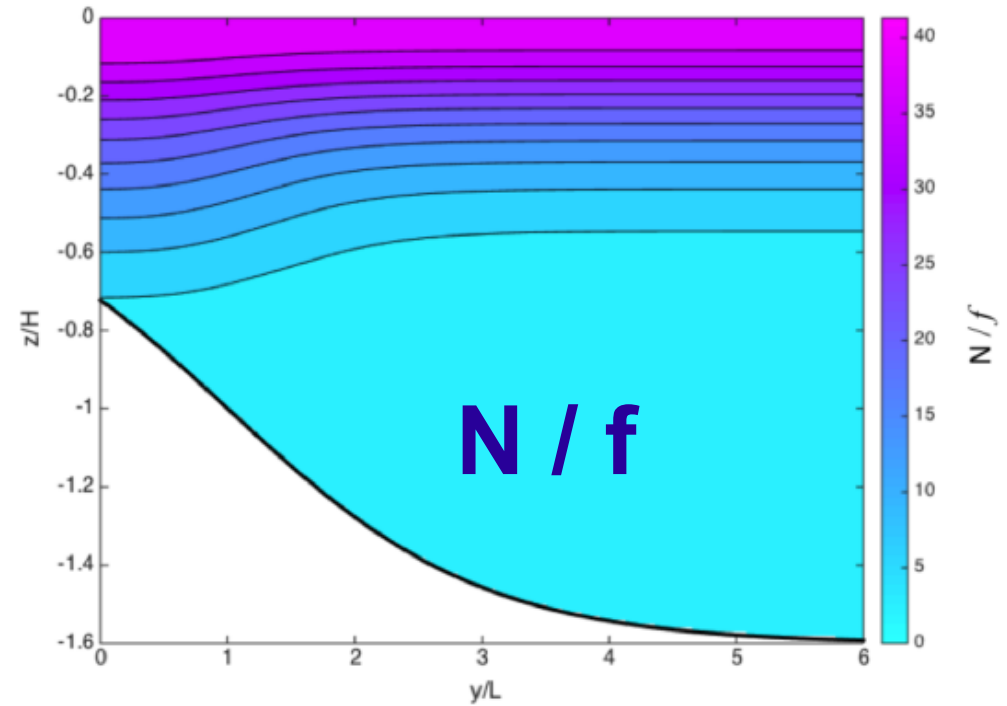
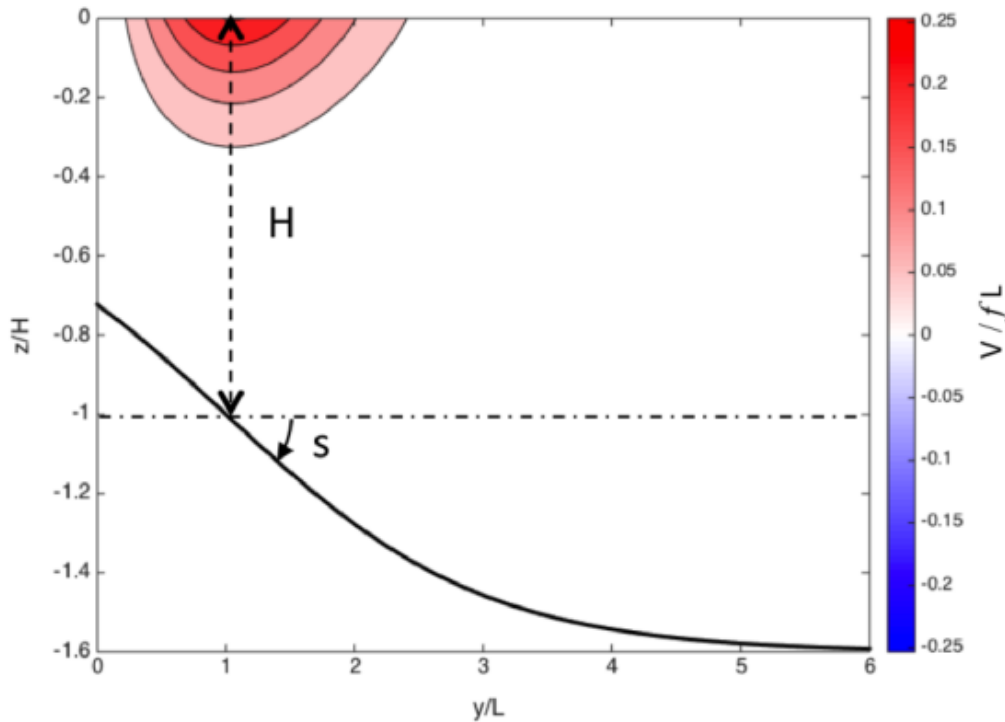
**Shear instability vs.
Baroclinic instability**

To

- Continuous stratification
- Nonlinear evolution

=> idealized simulations using ROMS / periodic channel

The jet configuration [Bransfield jet]



Surface intensified jet

$$U = 0.35 \text{ cm s}^{-1}$$

$$L = 10 \text{ km}$$

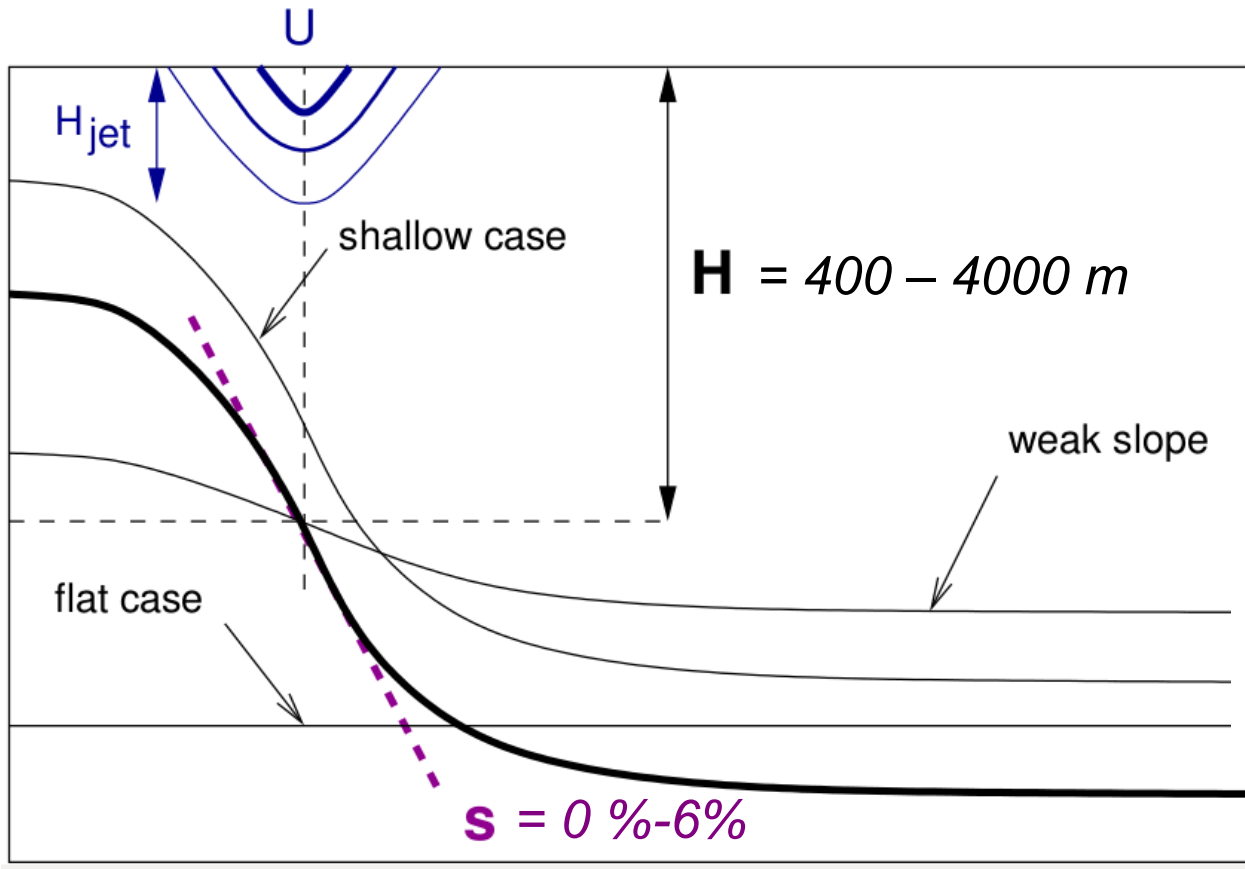
$$H_{\text{jet}} = 250 \text{ m}$$

Weak stratification : $R_d \sim 5 \text{ km}$
[Wedell Sea]

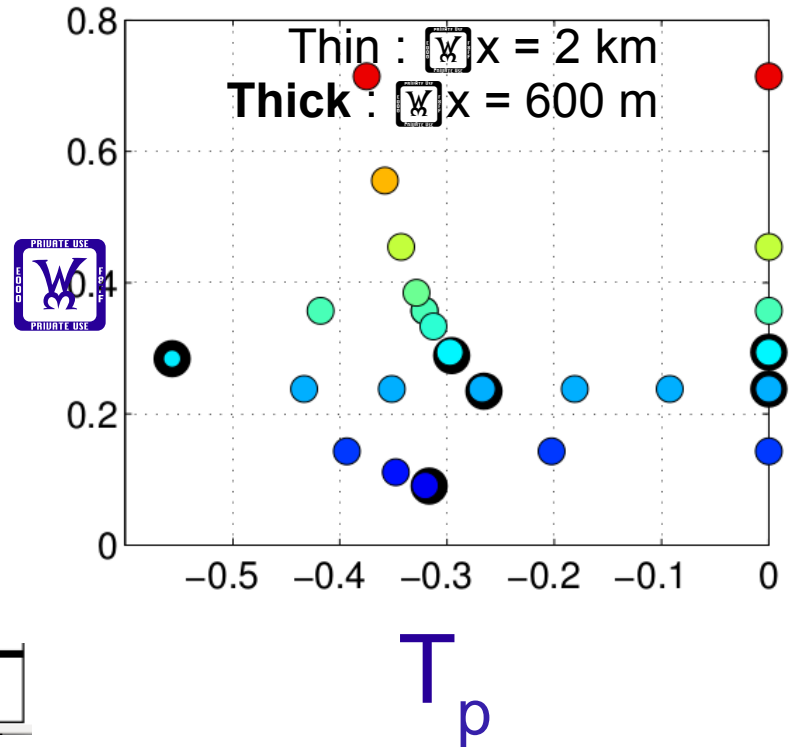
$$\text{Rossby} \\ Ro = 0.25$$

$$\text{Burger} \\ Bu = 0.25$$

Control parameters : T_p and



Experiments summary



Aspect ratio

$$\gamma = \frac{H_{jet}}{H - H_{jet}}$$

Topographic parameter [c_{TRW} / U]

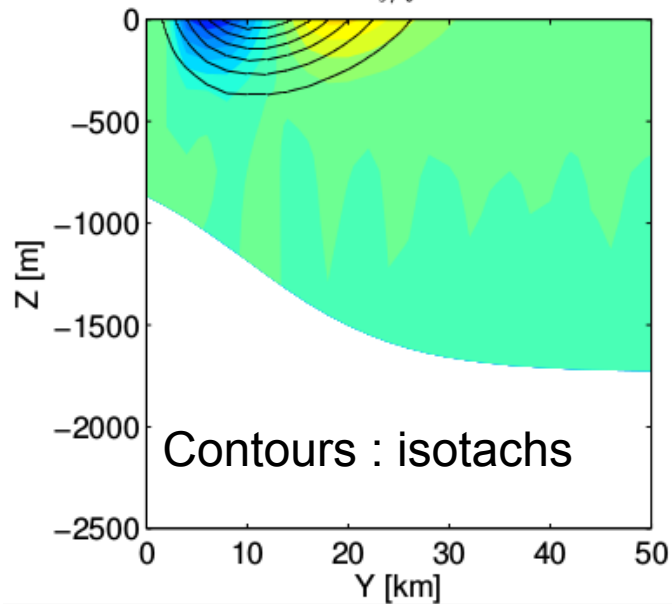
$$T_p = \frac{sfR_d^2}{HU}$$

Note that $R_d = f(H)$

PV structure (QG interpretation)

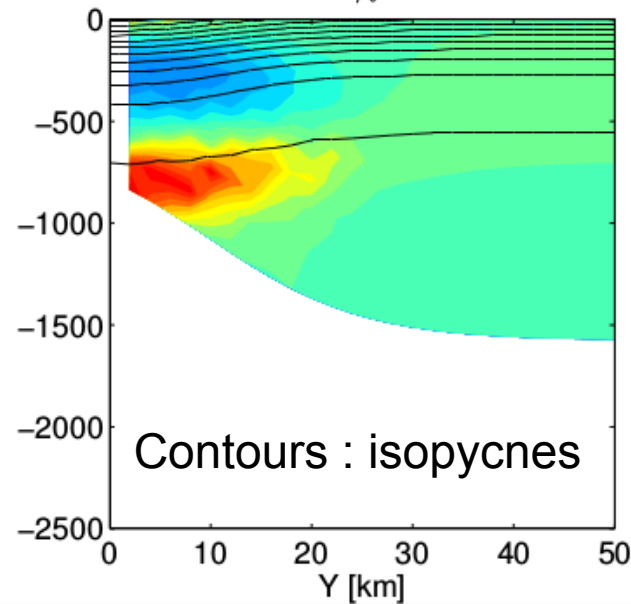
Vorticity

$$\zeta/f$$



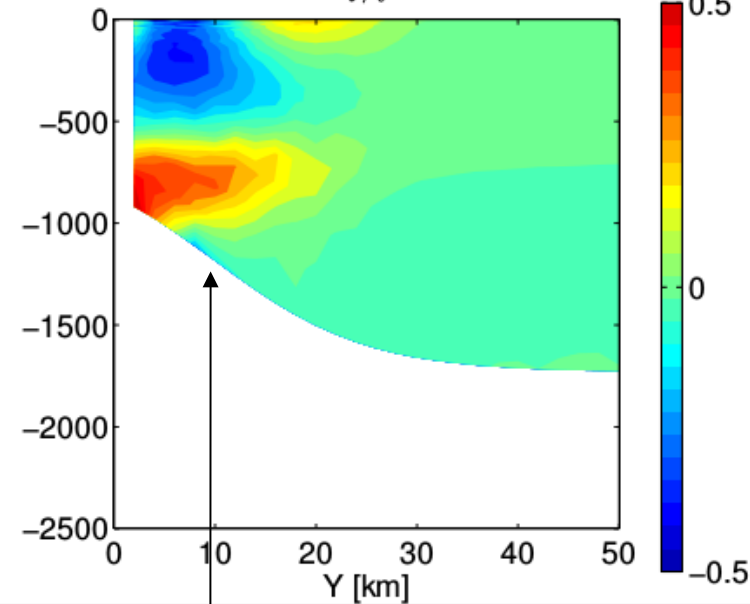
Stretching

$$S/f$$



Total PV

$$Q/f$$



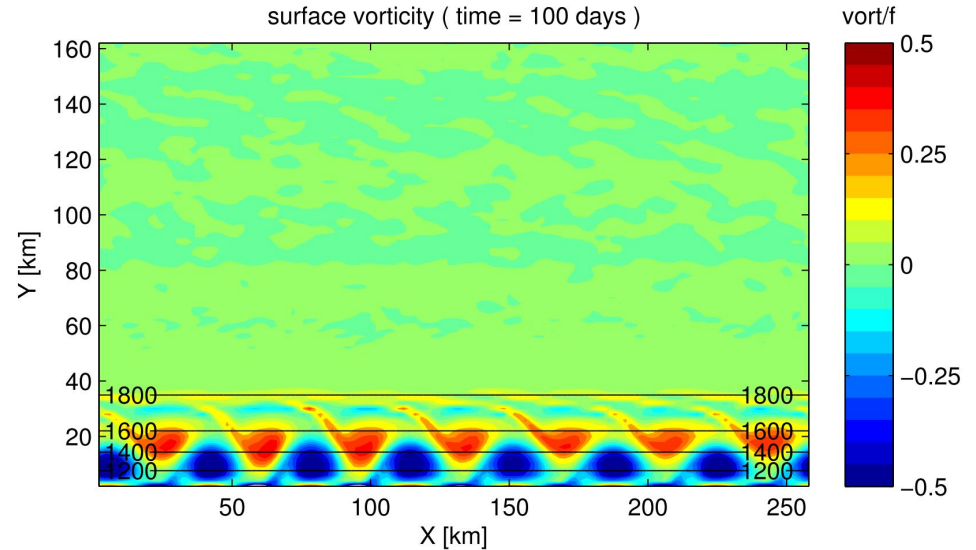
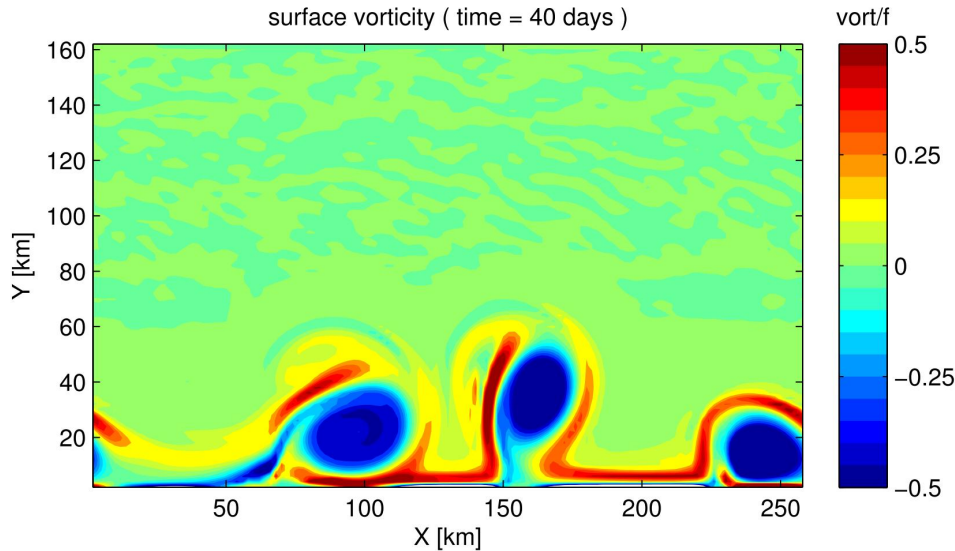
Shear instability

Baroclinic instability

Four regimes

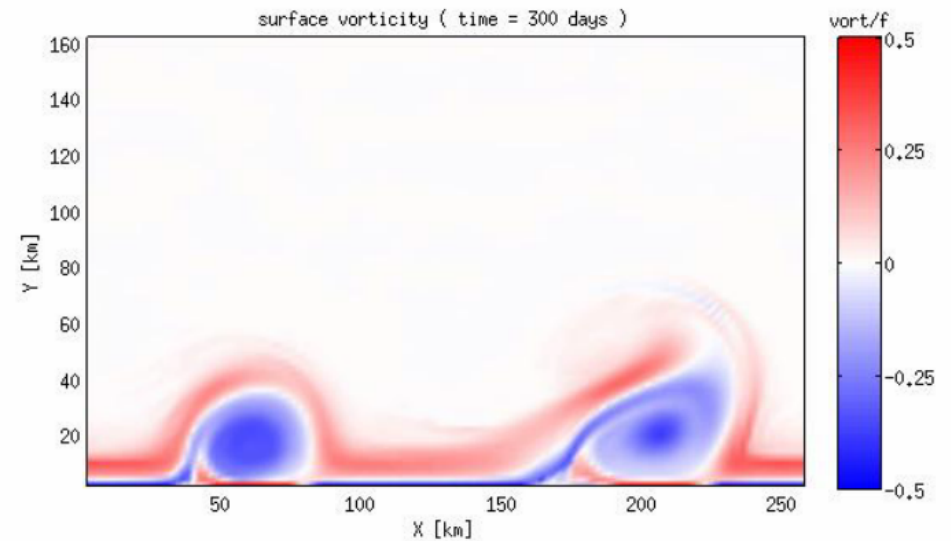
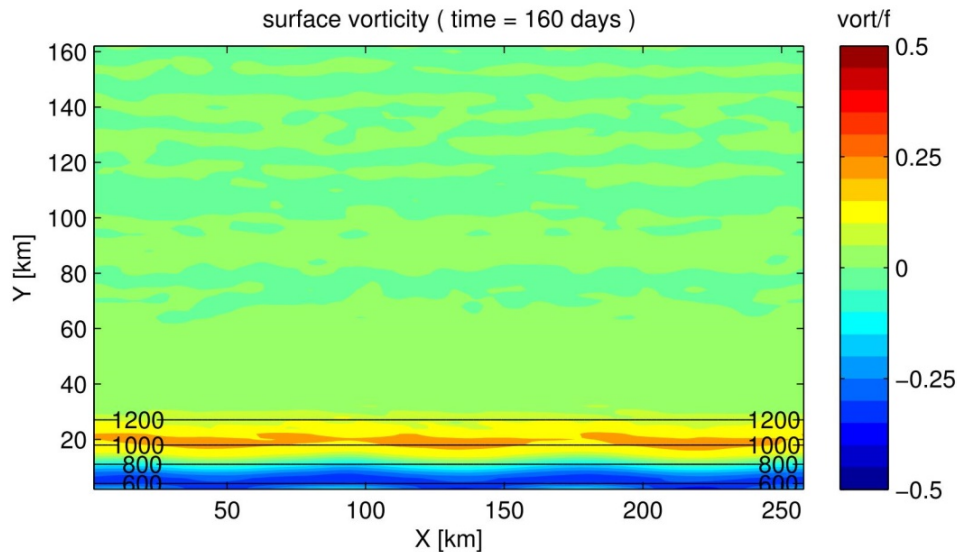
Standard baroclinic instability (BI)

Regime 2: trapped coastal instability (TCI)



quasi stable along-slope current (ASC)

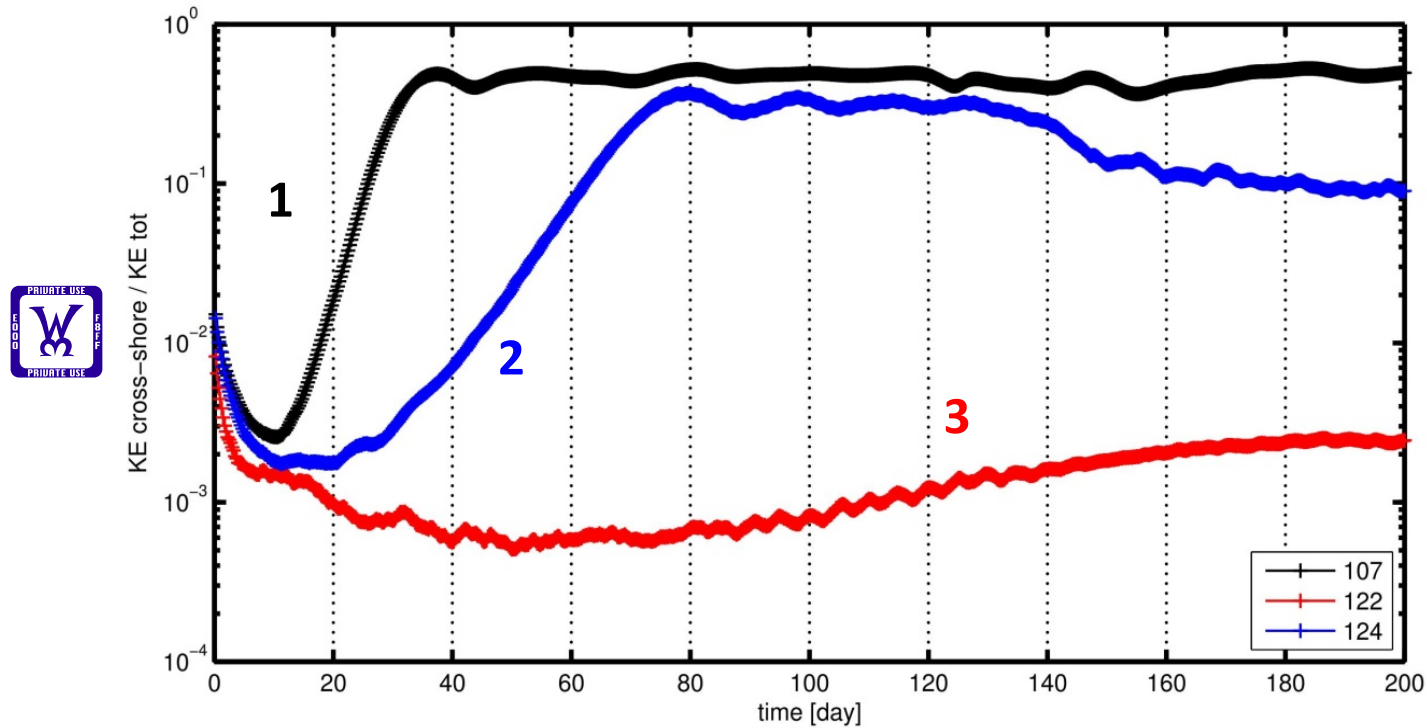
Regime 4: shear instability (SI)



Saturation parameter

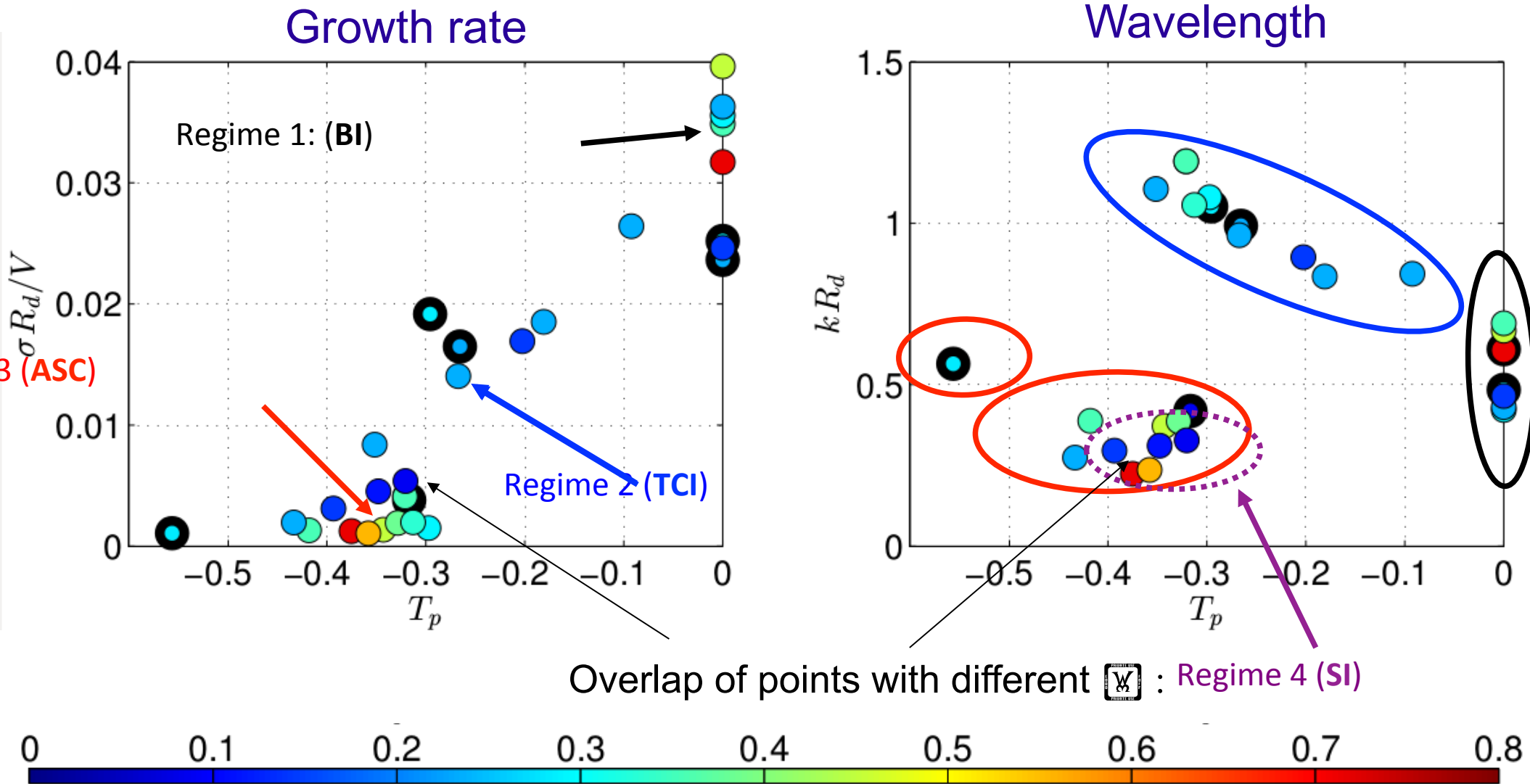
$$\epsilon = 2 \frac{\int v^2 dv}{\int u^2 + v^2 dv}$$

2 * Cross shore KE / total KE

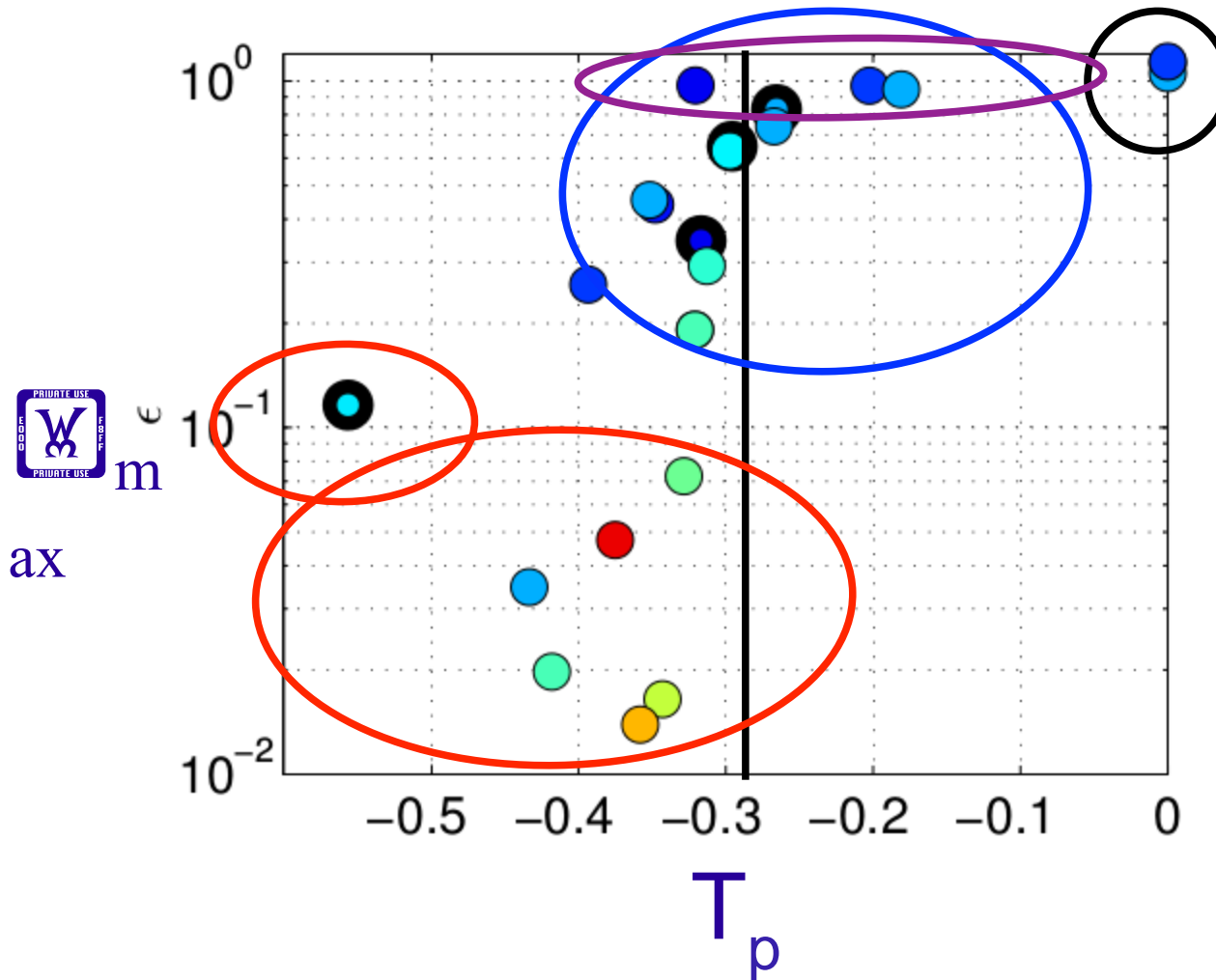


time

Linear growth



Nonlinear saturation vs. full instability



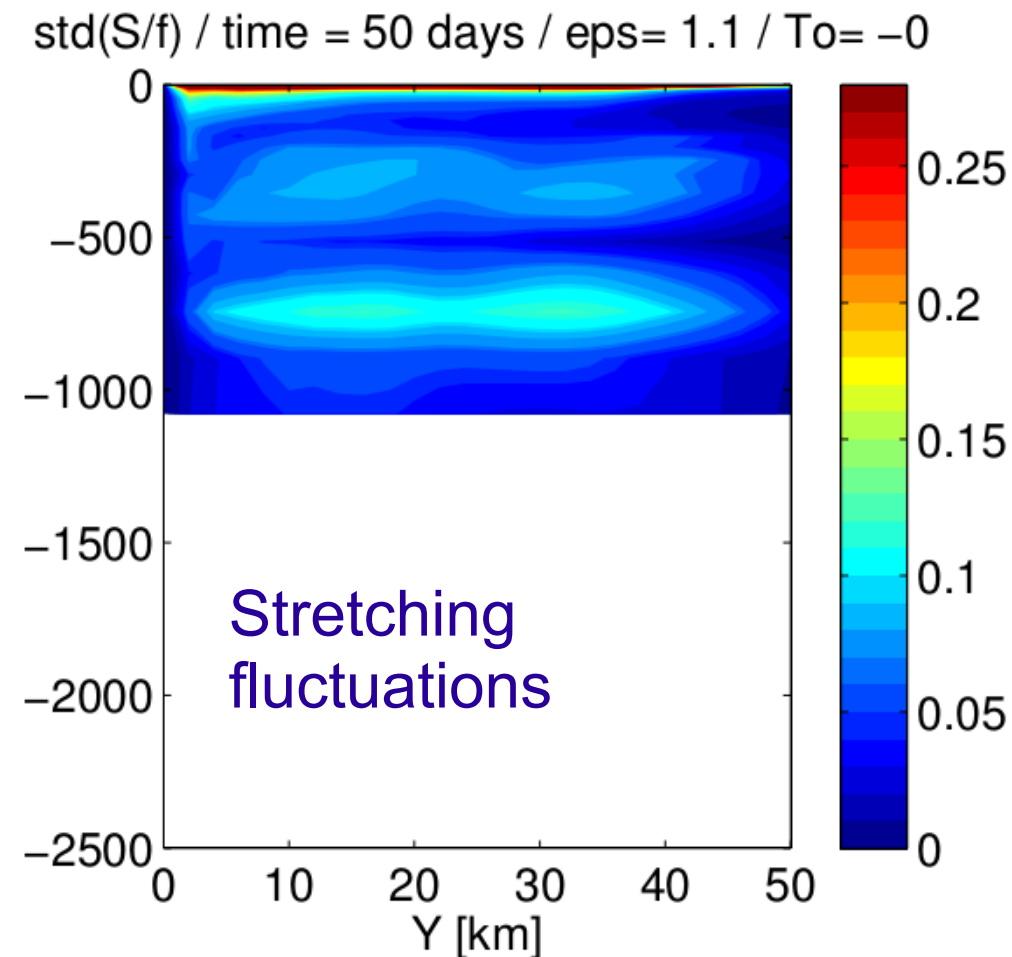
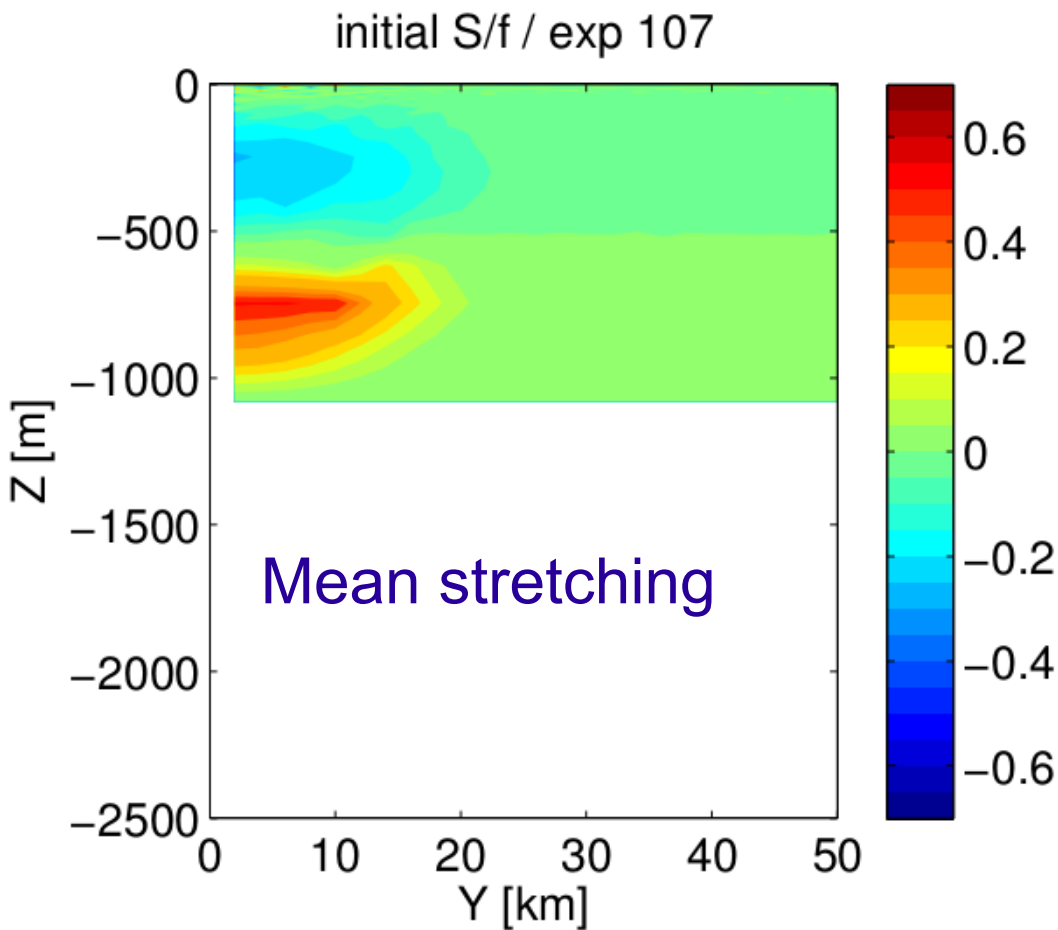
$T_p \approx -0.3$
Seems to be
critical

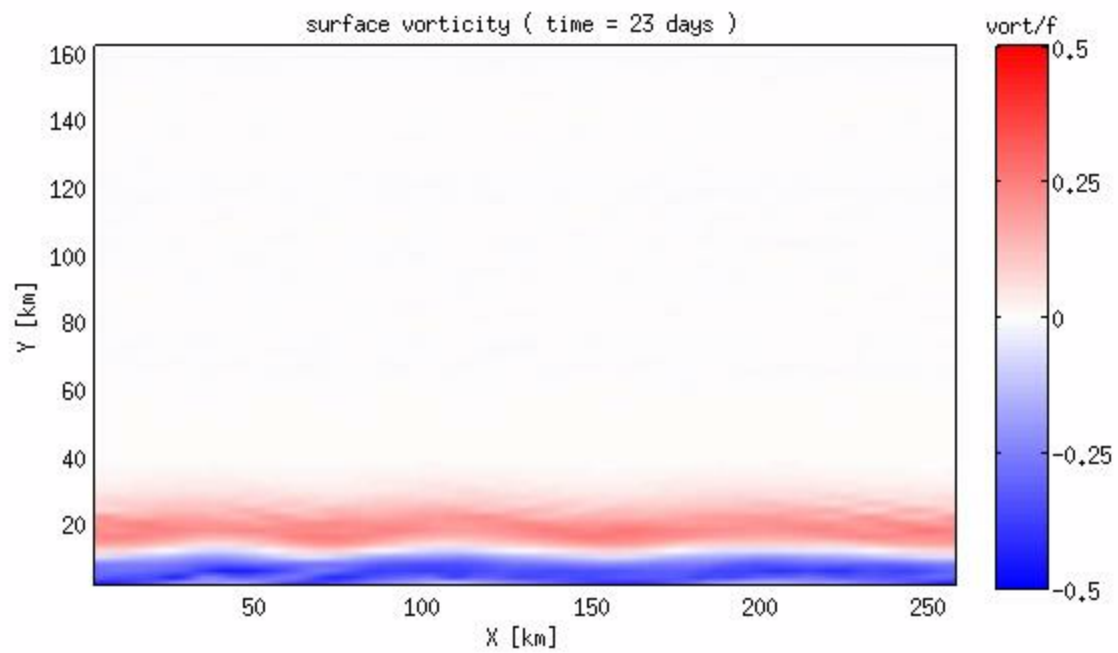


PV interpretation : the standard baroclinic instability (1)

Classical BI : **dipole of stretching in the vertical**

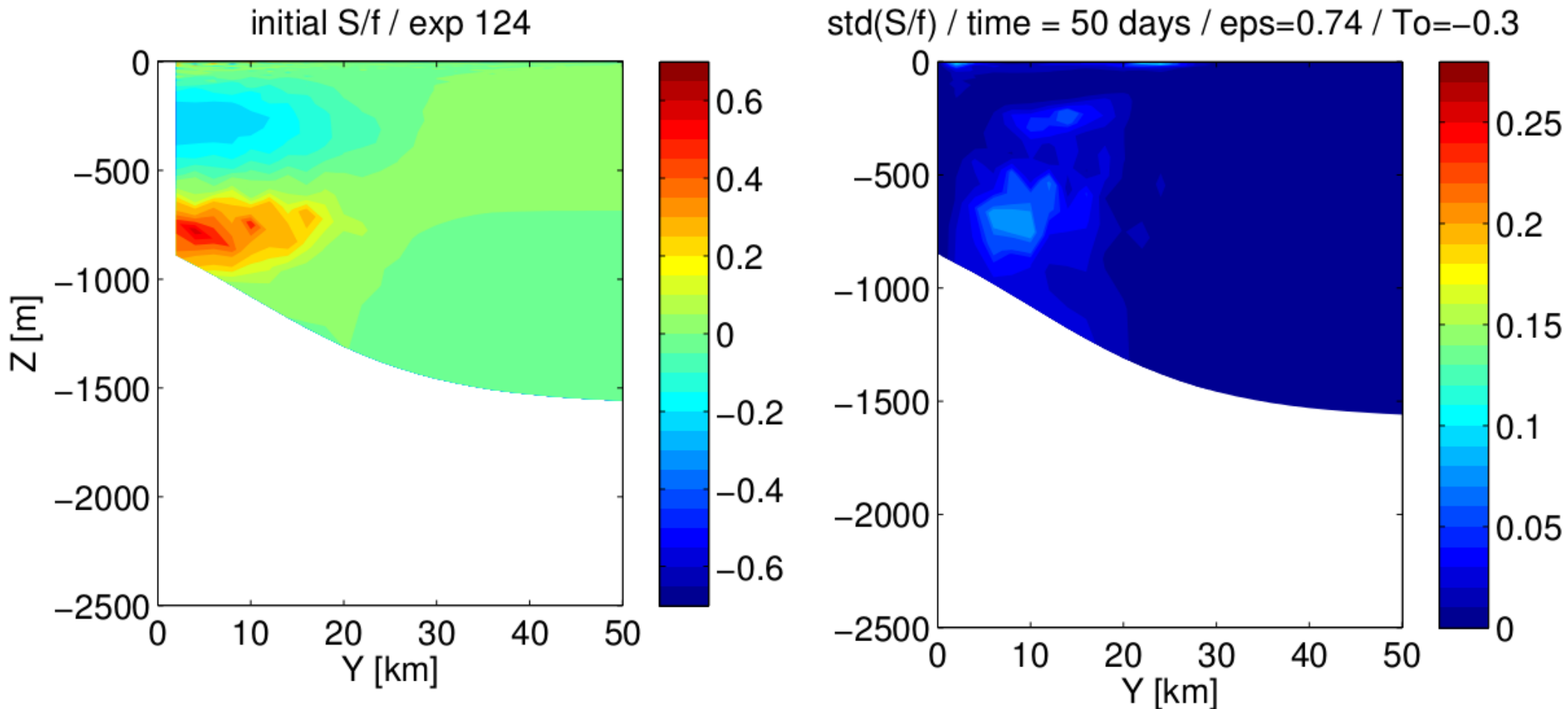
full breaking of the jet



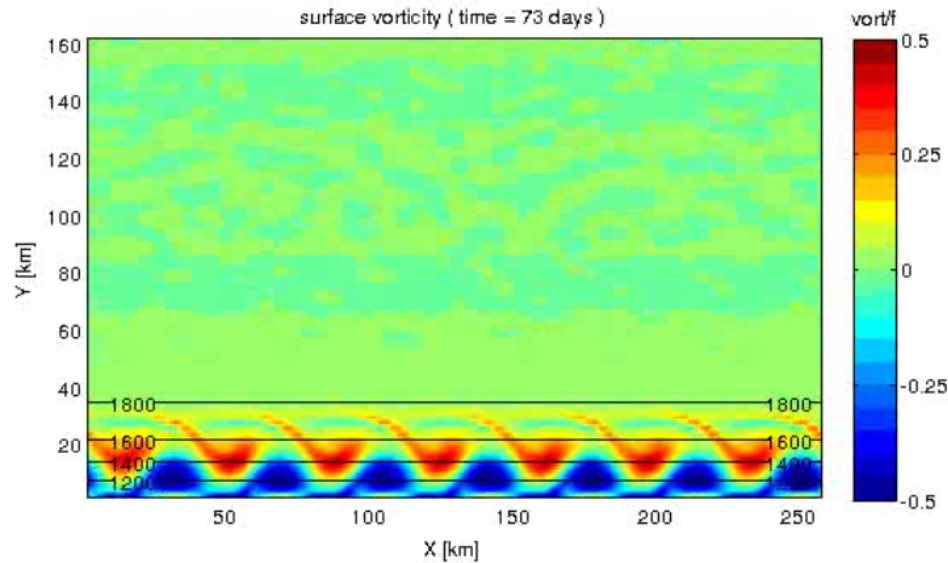


PV interpretation : the trapped coastal instability (2)

Dipole of stretching \Rightarrow BI \Rightarrow barotropization
Topographic PV halts the barotropization



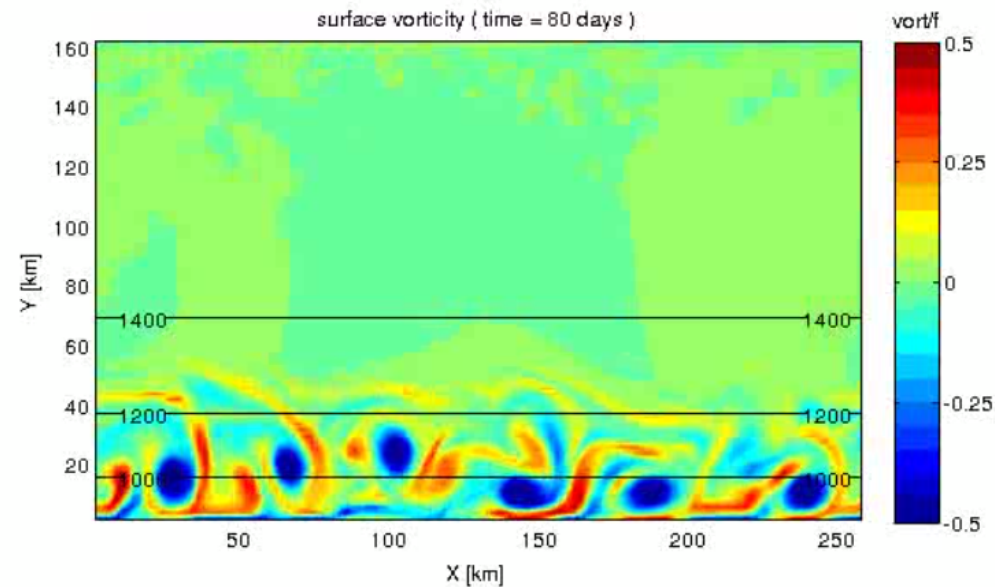
Trapped coastal instability



nonlinear stabilization :
 $T_p \sim -0.3 / \left[\frac{\overline{w}}{w} \right]_{\max} \sim 0.75$

Full breaking:

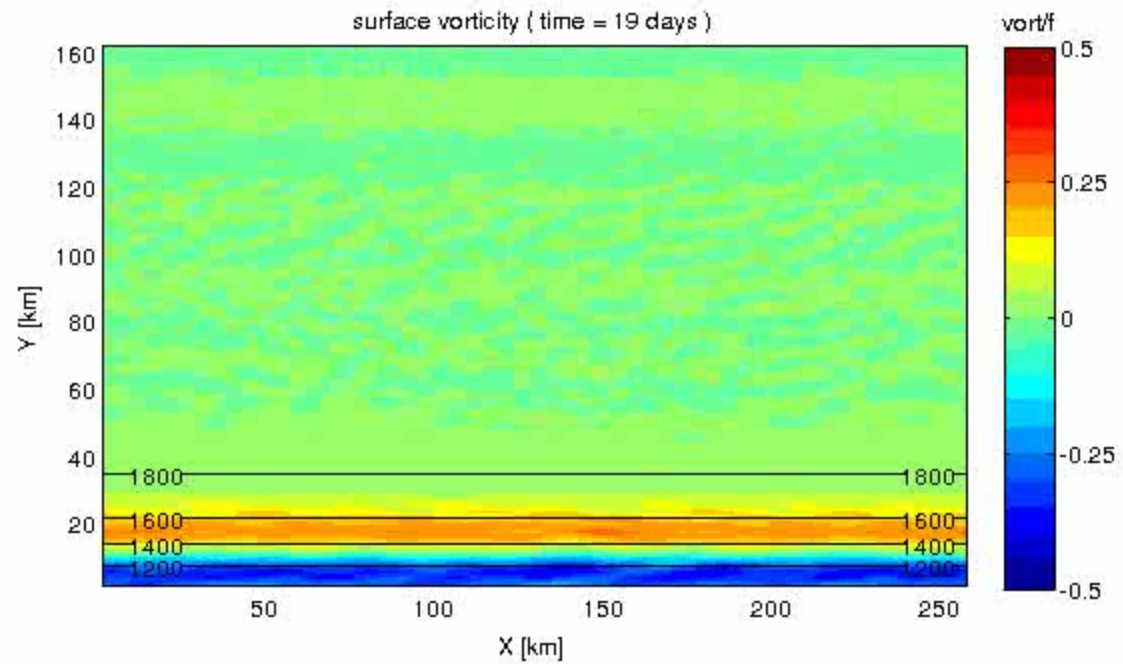
$$T_p \sim -0.1 / \left[\frac{\overline{w}}{w} \right]_{\max} = 1$$



In all cases : **trapping on the slope**, no cross-slope exchange

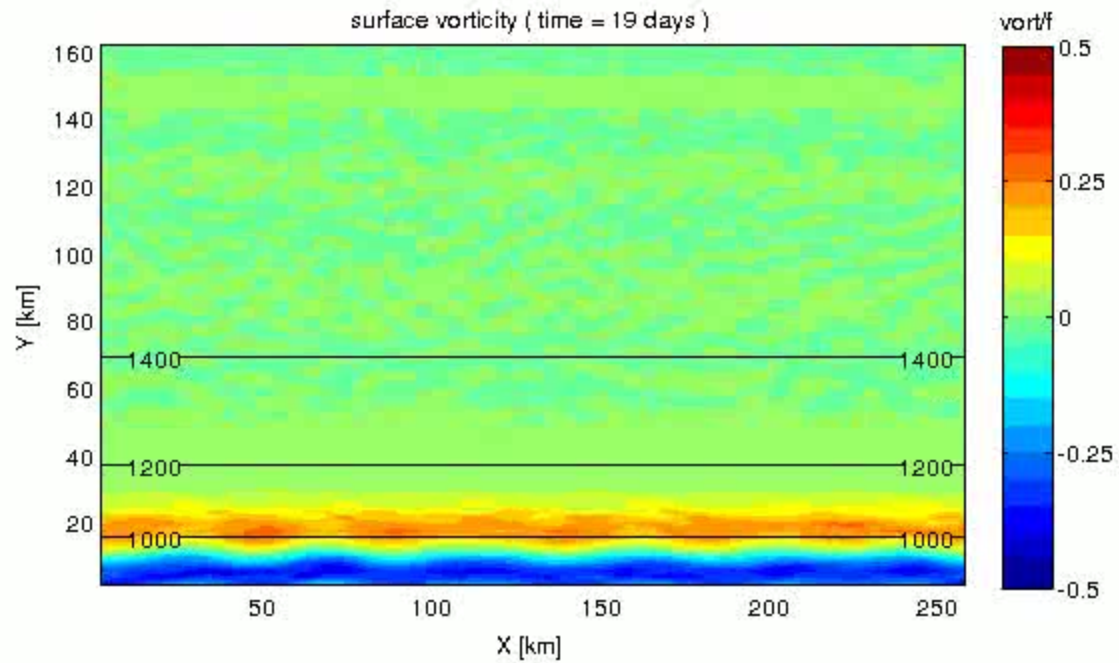
nonlinear stabilization :

$$T_p \sim -0.3 / \left[\frac{\partial \psi}{\partial x} \right]_{\max} \sim 0.75$$



Full breaking:

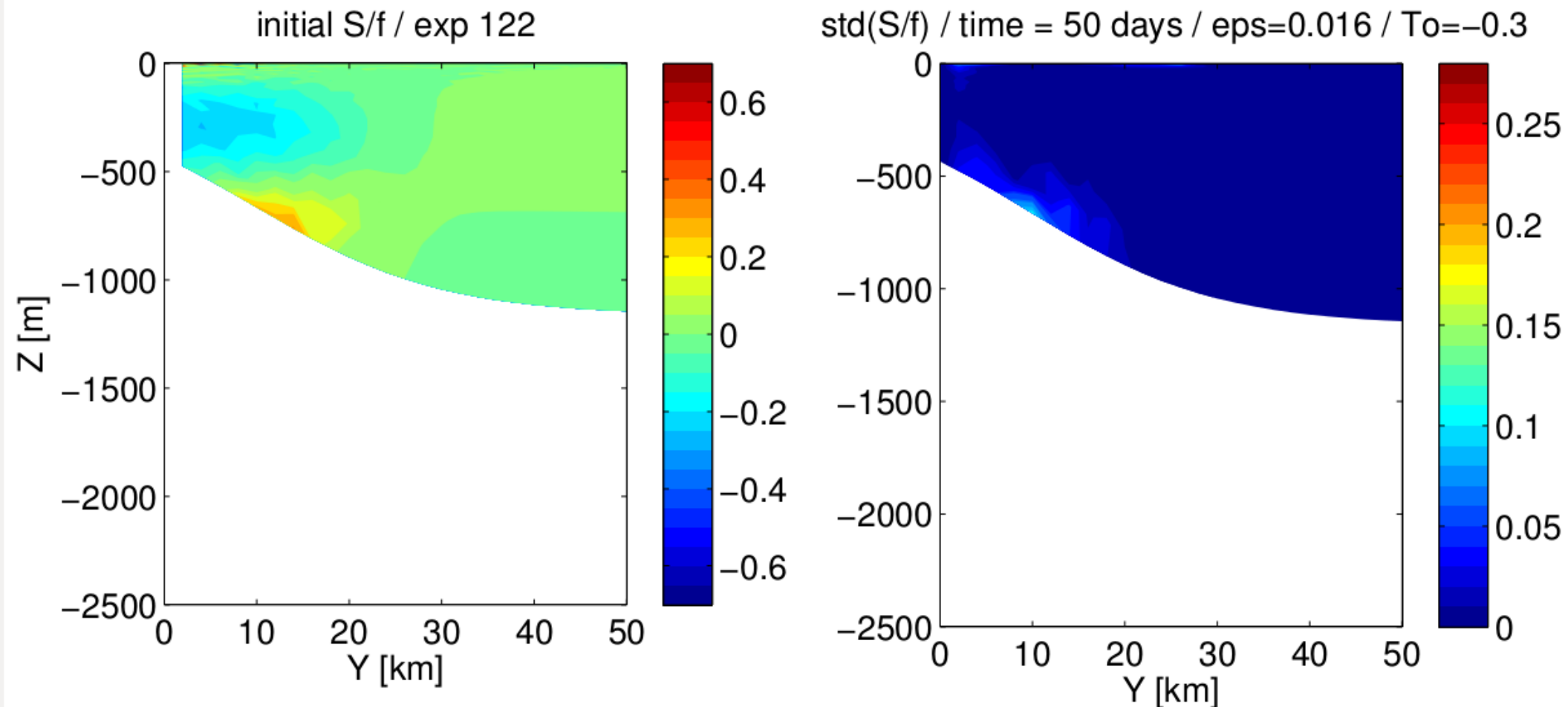
$$T_p \sim -0.1 / \left[\frac{\partial \psi}{\partial x} \right]_{\max} = 1$$



PV interpretation : the quasi-stable case (3)

Screening of the interior cyclonic core of stretching => no BCI
Almost barotropic jet => $[q \sim (f + \frac{\partial v}{\partial x})/H]$

Topographic PV dominates vorticity => quasi stable



Shear instability (4)

Large $H \Rightarrow$ BCI growth rate goes to 0

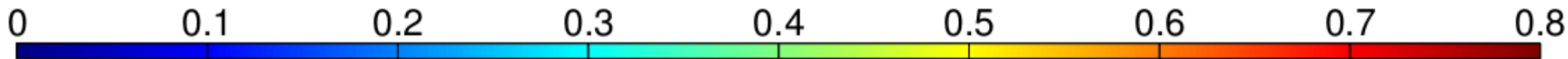
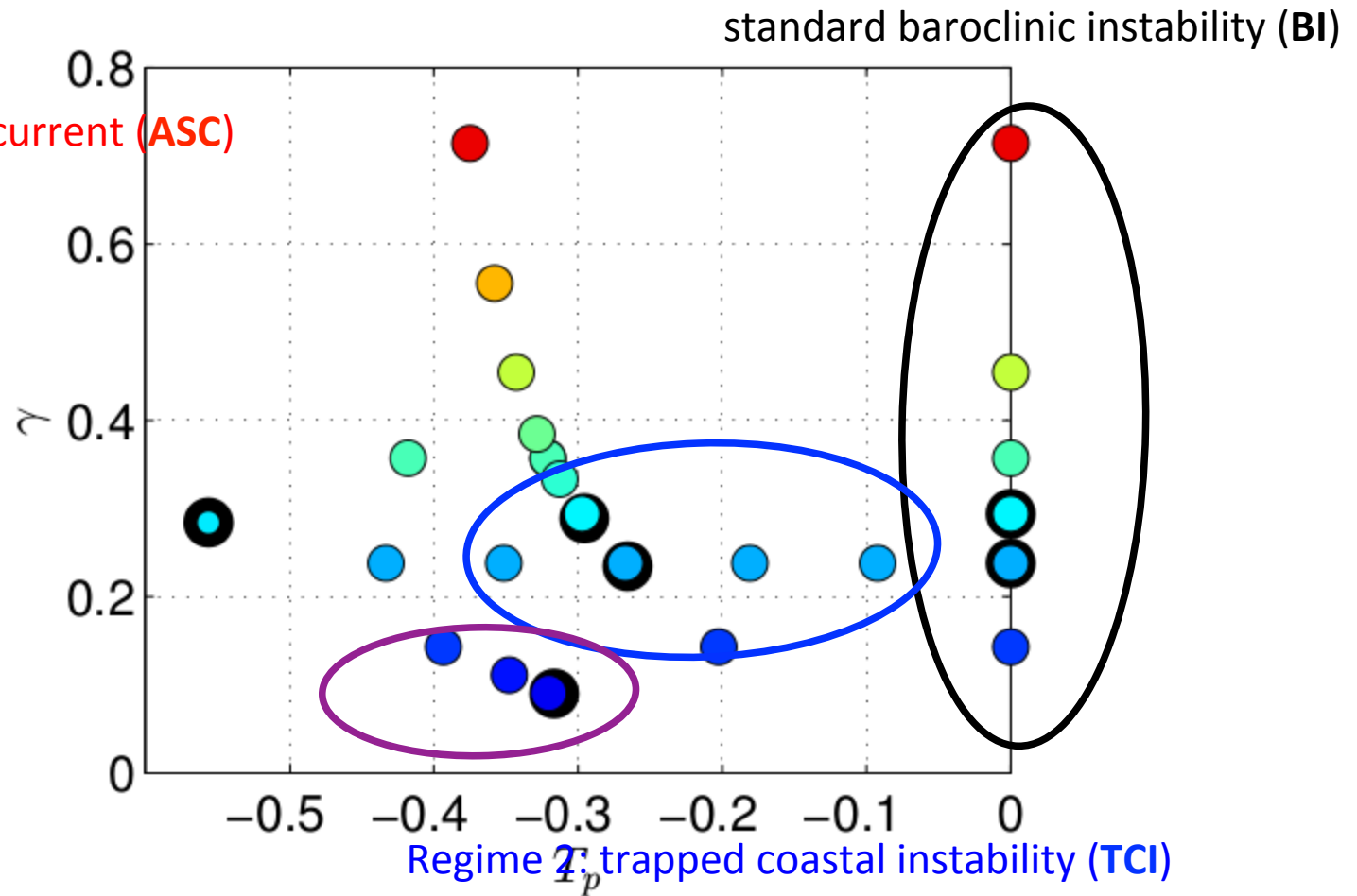
Shear instability takes over

Independent of the topography \Rightarrow full breaking

$$\left(\frac{W}{U}\right)_{\max} = 1$$

Summary

: quasi stable along-slope current (ASC)



Summary

- Standard baroclinic instability : $T_p < -0.05$
(weak slope)
- Trapped coastal instability (mild slope + mild depth)
 $-0.4 < T_p < -0.05$ and $0.1 < \text{W} < 0.3$
- Quasi-stable current (steep slope + shallow)
 $T_p < -0.2$ and $\text{W} > 0.3$
- Shear Instability : $\text{W} < 0.1$ (very deep ocean)